UNIVERSITY OF EDUCATION "UExam" Semester-IV, 2019 M.Sc Mathematics Session:2017-19

Course Code: MATH4133

Subject: Introduction to Graph Theory

Time Allowed: 100 Minutes.

42 Max. Marks:

Section II (Short Answer)

Q.2- Write short answers of the following.

3x6 = 18

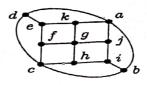
1). What is Dual Graph give an example?

II). Define Graph Theory.

III). What is $K_{2,4}$ and $B_{2,4}$ define and draw both.

IV). What is difference between Maximal and Maximum Matching?

V). Find $\chi(G)$ of following graphs



VI). Construct two different connected structures of a graph having 10 vertices and 15 edges.

Section III (Essay Type)

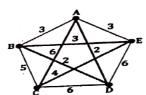
Answer the following Questions

6x4 = 24

 $\mathbf{Q.3.}$ Find the chromatic polynomial of the following graphs.

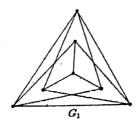
Q.4. Solve the Travelling salesman problem for this graph by determining the circuit with minimum

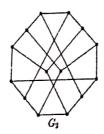
total weight.



Q.5. Define Euler and Hamiltonian Graphs. Also give an example of each to support your arguments.

Q.6.State Kuratowski's Theorem. How it is helpful. Check the Planarity and Non planarity of the following graphs.





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	to Graph Theory		AU.	
	SECTION: I (MCQ)		Roll No. (in fig.)	
ime Allow	Winnites			
OTE Engl		Max. Marks: 18	Roll No. (in words)	-
Duestion carr Overwriting	cle the correct/best answer in each of ies 1 mark. Use of remover carries zer s not allowed.	the followings. Each to mark, Cutting and	Candidate's Signature.	
Q1.			Signature of Addl. Sup	dt.
				~
	T			
	Tree is a Graph.			
	- CVCIIC	*		
	a) Maximumber is the	c) not number of colors peeded	d) None	
•	A complete graph on	um c) no		
	A complete graph on n vertices h	as chromatic number	d) None	
. •	b) 3 For Cycle on odd vertices the Chr a) 1 b) 2	c) n	d) None	
	a) 1 b) 2	omatic number is	one (v	
•	v-e+f=2 is	c) 3	d) None	
	a) Euler Formula b) Cayley	s Formula c) Polyhoda		
	Let G be the non-planar graph w a) 9 edges and 5 vertices c) 10 edges and 5 vertices	th the minimum possible	on Formula d) None	
	c) 10 edges and 5 vertices	b) 9 edges and 6	er of edges. Then G has	
	c) 10 edges and 5 vertices K_4 is	O and C	vertices	
	a) Non Dlaw	d) 10 edges and	b vertices	
•	For Cycle on con-	c) Plana		
	For Cycle on even vertices the Ci	hromatic number is	r d) None	
•	If H is subgraph of G then	c) 3	d\ No=-	
	$\alpha(\chi(H) \leq \chi(G)$	•	d) None	
	c) $\chi(H) = \chi(G)$	b) $\chi(H) \geq \chi(G)$	• 7	
•	Which of the following graph is a) K_7 b) P_7	, d) None		
	a) K_7 b) P_7	criromatically equivalent to C_7		
	The thickness of K_c is	c) K _{6,1}	d) None	
	a) U			
, ,	Maximum number of cut edge a) n b) $n = -1$	c) 1	d) None	
	a) n b) n -			
•	the size of dual graph of C2	c) n —	2 d) None	
	a) 3 b) 6			
•	Every complete graph is not a	c) 4	d) None	
	a) complete b) Non	Dlana		
•	The Chromatic number of K_r	c) Plar	ar d) None	
	a) 4 b) 5	ما اب		
•	The four color problem was p	c) 3	d) None	
	b) 185	32	•	
•	P_3 can be colored in V	c) 185	d) None	
	0) 14			
	The charment	_ c) 2	d) None	
•	the chromatic polynomial of	Pa	-/ Hone	
•	The chromatic polynomial of a) $k^3 - 2k^2 + k$	P_3 b) $k^3 - k^2 + k$	-, None	